## PROGRAME NAME: : B.Sc(H) Mathematics COURSE NAME : Metric Spaces SEMESTER DURATION: July to December

| Week | Topic(s) | Teaching Methodology Adopted/ Continous <br> Internal Evaluation |
| :---: | :---: | :---: |
| 1. | Defining metric spaces, Illustration using <br> usual metric space on $\mathbb{R}$, Euclidean and <br> max metric on $\mathbb{R}^{2}$ and $\mathbb{R}^{n}$, Discrete <br> metric, Sup metric on $B(s)$ and $C[a, b]$, <br> Integral metric on $C[a, b]$ | Lectures |
| 2. | Sequences on metric space, Defining limits <br> of sequences. Illustrations, Cauchy <br> sequences. | Lectures/Presentations |
| 3. | Defining complete metric spaces, <br> Illustrations through examples. | Lectures/Presentations |
| 4. | Open and closed balls, <br> Neighborhood, Open sets, Examples <br> and basic results. | Lectures |
| 5. | Interior Point, Interior of a set, Limit point, <br> Derived set, Examples and basic results. | Lectures |
| 6. | Closed set, Closure of set, Limit point, <br> Derived set, Examples and basic results. | Lectures |
| 7. | Bounded set, Diameter of a set, Examples <br> and basic results. | Lectures/ Group Discussions |
| 9. | Continuous mappings, Sequential and other <br> characterizations of continuity. | Lectures |
| 10. | Uniform continuity, Homeomorphism. | Presentations |
| 11. | Contraction mappings, Banach fixed point <br> thm. | Presentations |
| 12. | Connectedness and compactness | Lectures |
| 13. | Definitions and properties of connectedness <br> and compactness | Discussions |
| 14. | Definitions and properties of connectedness <br> and compactness contd. |  |

Course Objectives: The course aims at providing the basic knowledge pertaining to metric spaces such as open and closed balls, neighborhood, interior, closure, subspace, continuity, compactness, connectedness etc.
Course Learning Outcomes: The course will enable the students to:
i) Understand the basic concepts of metric spaces;
ii) Correlate these concepts to their counter parts in real analysis;
iii) Appreciate the abstractness of the concepts such as open balls, closed balls, compactness, connectedness etc. beyond their geometrical imaginations.

