

**PROGRAMME NAME: BSc Mathematics**

**COURSE NAME: Linear Algebra**

**SEMESTER DURATION :July to December**

WEEK	TOPIC(S)	TEACHING METHODOLOGY ADOPTED/ CONTINUOUS INTERNAL EVALUATION
1	Fundamental operation with vectors in Euclidean space $n$ , Linear combination of vectors, dot product and their properties, Cauchy-Schwarz inequality, Triangle inequality, Projection vectors	Lectures
2	Some elementary results on vectors in $R^n$ ; Matrices: Gauss–Jordan row reduction, Reduced row echelon form, Row equivalence, Rank	Demonstrations
3	Linear combination of vectors, Row space, Eigenvalues, Eigenvectors, Eigenspace, Characteristic polynomials, Diagonalization of matrices	Discussions
4	Definition and examples of vector space, Some elementary properties of vector spaces.	Tutorials
5	Subspace, Span of a set, a spanning set for an eigenspace, Linear independence and dependence	Self –Instruction
6	Basis and dimension of a vector space, Maximal linearly independent sets, Minimal spanning sets	Presentation
7	Application of rank: Homogenous and non-homogenous systems of linear equations; Coordinates of a vector in ordered basis, Transition matrix Linear transformations: Definition and examples, Elementary properties.	Case Study
8	Linear transformations: Definition and examples, Elementary properties.	Assignment
9	The matrix of a linear transformation, Linear operator and similarity	Lectures
10	Application: Computer graphics, Fundamental movements in a plane, Homogenous coordinates, Composition of movements.	Self –Instruction
11	Kernel and range of a linear transformation, Statement of the dimension theorem and examples	Assignment
12	One to one and onto linear transformations, Invertible linear transformations, isomorphism, isomorphic vector spaces (to $R^n$ )	Discussion
13	Orthogonal and orthonormal vectors, orthogonal and orthonormal bases,	Tutorials

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	orthogonal complement, statement of the projection theorem and examples. Orthogonal projection onto a subspace	
14	Application: Least square solutions for inconsistent systems, non-unique least square solutions	Case Study

**Course Objectives:** The objective of the course is to introduce the concept of vectors in  $n$ . The concepts of linear independence and dependence, rank and linear transformations has been explained through matrices. Various applications of vectors in computer graphics and movements in a plane has also been introduced.

**Course Learning Outcomes :**This course will enable the students to:

- i) Visualize the space  $n$  in terms of vectors and the interrelation of vectors with matrices, and their application to computer graphics.
- ii) Learn about vector spaces, linear transformations, transition matrix and similarity.
- iii) Find approximate solution of inconsistent system of linear equations.